

DETERMINATION OF SEISMIC PERFORMANCE INDEX OF RC

BUILDINGS BY USING FUZZY LOGIC

Mahmut Kömür^{a*}, Melike Altan^b

^a Department of Civil Engineering, Faculty of Engineering, Harran University, 63300,
Şanlıurfa, Turkey

^b Department of Civil Engineering, Faculty of Civil Engineering, Istanbul Technical
University, 34469, Istanbul, Turkey

Abstract

In this study, fuzzy logic is applied to Japan Seismic Index Method. The values of Seismic Performance Index (I_S) have been analyzed by using the fuzzy logic. The Seismic Index Method is modified according to the structural irregularities of the reinforced concrete structures in Turkey. This modified procedure is applied to a damaged reinforced concrete building in Avcılar in Istanbul in Turkey. The results of the numerical analyses have been given in this study.

Key words: Seismic Performance Index; Seismic Safety Evaluation; Fuzzy Logic; Seismic Index Method.

BETONARME BINALARIN SİSMİK PERFORMANS İNDEKSİNİN BULANIK

MANTIK İLE TAYINI

Özet

Bu çalışmada, bulanık mantık Japon Sismik İndeks Yöntemine uygulanmıştır. Sismik Performans İndeksi (I_S), bulanık mantık kullanılarak analiz edilmiştir. Sismik İndeks Yöntemi, Türkiye'deki betonarme yapılarda karşılaşılan yapısal düzensizlikler dikkate alınarak bazı eklentiler yapılmıştır. Bu prosedür, İstanbul-Avcılar'da bulunan hasar görmüş bir betonarme binaya uygulanmıştır. Sayısal analiz sonuçları bu çalışmada sunulmuştur.

Anahtar kelimeler: Sismik Performans İndeksi; Deprem Güvenliğinin Belirlenmesi; Bulanık Mantık; Sismik İndeks Yöntemi.

1. Introduction

Since 1992, seven major earthquakes have struck different highly populated regions of Turkey. These are 1992 Erzincan, 1995 Dinar, 1998 Ceyhan-Adana, 17 August 1999 Marmara, 12 November 1999 Düzce, 2002 Afyon and 2003 Bingöl

* Corresponding author. Tel.: +90-414-344 0020 (1123); Fax: +90-414-344 0031.
E-mail address: mahmutkom@harran.edu.tr (M. Kömür)

earthquakes. These earthquakes caused severe damage and collapse of the structures and killed more than 30.000 people according to official records. The observations made after these earthquakes on the damaged reinforced concrete buildings indicated that the causes of damage could be grouped in three main categories. These are namely: (a) improper configuration of architectural and structural systems, (b) poor detailing and/or proportioning, and (c) poor supervision during construction [1].

Especially in countries that are frequently exposed to earthquake, seismic safety evaluation of existing buildings has been always an important problem. Therefore, this subject has not lost its actuality in earthquake engineering. Various studies have been carried out to find a procedure for seismic safety evaluation having wide application spectrum [2-8].

Most of the existing reinforced concrete residential buildings in Turkey and in many other countries are seismically deficient [7]. These buildings are subjected to large deformations under the earthquake loading due to low lateral stiffness of the frames. However, large deformations cannot be reached safely due to lack of ductility, which leads to failure of columns. Post earthquake observations indicated that buildings having lack of symmetry (both in the plan and in the elevation) and displaying structural discontinuities and/or sudden stiffness change from one storey to another are the most vulnerable ones. In this context, presence of soft first floor and short columns, discontinuities in vertical structural members (columns and/or structural walls), existence of large openings in floor systems is the typical causes of structural failures [1]. Failure situation due to lack of lateral stiffness and failure in the form of soft storey mechanism are represented by Figure 1 and Figure 2, respectively.

Studies about seismic safety evaluation of existing buildings have been fairly developed as computer technology improves in recent years [8]. Vagueness, complexity and fuzziness in human judgments lead into several difficulties related to seismic safety evaluation of existing buildings.



Figure 1. Failure due to lack of lateral stiffness (Derince, 17 August 1999 Marmara earthquake)



Figure 2. Failure in the form of soft storey mechanism (Kocaeli, 17 August 1999 Marmara earthquake)

The estimation of probable future losses is a matter of increasing interest to those concerned with earthquake insurance and the management of facilities or public administration in earthquake-prone regions. Over the last decade, a lot of effort has been devoted to the problem of how to devise reliable estimates, given the large uncertainties in the pattern of earthquake occurrence, both in time and space and our limited understanding of behavior of the vulnerable elements of the built environment [1, 9-11]. Because of various uncertainties and randomness involved both in seismic demand and capacity, assessment of potential damage should be carried out based on statistical and probabilistic, or fuzzy techniques. Current approaches in seismic vulnerability evaluation methods follow three main stages. These stages are namely: Walk-down evaluation, preliminary evaluation and final evaluation. Evaluation in the first stage does not require any analysis and it relies on the past performance of similar buildings. The goal of the walk-down evaluation is to determine the priority levels of buildings that require immediate intervention. The preliminary evaluation covers the buildings that are designated to be inadequate in the first stage. In this stage, the simplified analysis is performed based on a variety of methods. The time needed for a preliminary evaluation of a particular building is about three to four hours. The final evaluation of the structure, mainly based on further detailed seismic performance analyses, is to be carried out by an experienced design engineer. In the final evaluation stage, buildings that cannot be classified in the first two stages are considered. The time needed for final evaluation of a particular structure can range from couple of days to several weeks [1]. In this study, for seismic safety evaluation of the existing buildings, Japan Seismic Index Method by adding the effects of structural irregularities is modified by the authors. The values of Seismic Performance Index of Structure IS in the Japan Seismic Index Method have been analyzed by using the fuzzy sets and logic.

2. Seismic index method

According to the current Japanese Standard, the Seismic Performance of a building is represented by two indices [12]:

I_s : Seismic index of structure I_n : Seismic index of non-structural elements

2.1. Seismic Index of Structure (I_s)

$$I_s = E_o \times S_D \times T \tag{1}$$

E_o : Basic Structural Performance Index

S_D : Structural Property Sub-index

T : Time Deterioration Sub-index

Three levels of screenings procedure are identified; 1st, 2nd and 3rd level. Reliability of performance estimation is directly proportional to the level of the screening procedure, i.e., increase in level means increase in the reliability of the procedure. 1st Level Screening mainly involves the shearing strength of the columns and the walls. The method may underestimate the performance for purely moment resisting structure, and reliability increases with the amount of shear walls used within the frame. 2nd Level Screening mainly involves the computation of the capacities and the ductility of the columns and the shear walls. The beams are assumed to be rigid. The running of the procedure to the weak column/strong beam type of structures yields more reliable estimation. 3rd Level Screening involves all the possible failure mechanisms, including beam failures and the rigid body rotation of the shear walls due to foundation failures. E_o is computed for each level of screening procedure, however S_D and T are needed only for the 2nd and 3rd levels.

2.2. Estimation of Structural Property Sub-index S_D

Sub-index S_D reflects the effects of irregularity in stiffness and/or mass distribution etc. on the performance. For this purpose field survey is necessary. The items to be inspected during the field survey also depend upon the level of screening.

1st Level Screening:

$$S_{D1} = q_{1a} \times q_{1b} \times \dots \times q_{1k} \tag{2}$$

Where; $q_{1i} = \{1 - (1 - G_i) \times R_i\}$; $i = a, b, c, d, e, f, g, i, j, k$

$q_{1i} = \{1.20 - (1 - G_i) \times R_i\}$; $i = h$

2nd and 3rd Level Screening:

$$S_{D2} = q_{2a} \times q_{2b} \times \dots \times q_{2n} \tag{3}$$

Where; $q_{2i} = \{1 - (1 - G_i) \times R_i\}$; $i = a, b, c, d, e, f, g, i, j, k, l, n$

$q_{2i} = \{1.20 - (1 - G_i) \times R_i\}$; $i = h$

The factors G_i and R_i are determined from Table 1.

2.3. Judgment Process

The judgment for I_s is made according to $I_s > I_{so}$ inequality.

$$I_{so} = E_s \times Z \times G \times U \tag{4}$$

Where;

I_{so} : Structural seismic index

E_s : Seismic basic index. For 1st level screening $E_s=0.8$, for 2nd and 3rd level screening $E_s=0.6$

Z : Seismic zone index

G : Soil amplification factor

U : Importance factor

For the 2nd and 3rd Level Screening procedures, the product ($C_t \times S_D$) should remain between the following limits:

$$1.25 > (C_t \times S_D) > 0.3$$

$$C_t = \frac{(n+1)}{(n+i)} (C_1 + a_2 C_2 + a_3 C_3) \quad (5)$$

Where;

C_t : Cumulative strength index

S_D : Structural property sub-index

If ($C_t \times S_D$) > 1.25, then the building is considered to be "SAFE".

For the final judgment the following inequality is used:

$$I_s > I_{so}, \text{ namely, (estimated seismic performance)} > \text{(required seismic performance)}.$$

3. Modified seismic index method

Effect to seismic behavior of building, which has irregularities related to structural system, is taken into consideration as structural property sub-index S_D . Therefore, Table 1 is formed by adding irregularity from torsion (p), discontinuity of slab (r), salient irregularity (s), structural element axis with not parallel (t), weak storey (u), discontinuity of vertical elements of structural system (v) and irregularity from storey with projection (y).

The aforementioned irregularities are rather frequently encountered reinforced concrete buildings in Turkey and Turkish Earthquake Code contains these irregularities except for irregularity from storey with projection. In this way, the factors of G_i and R_i are obtained from Table 1 for modified seismic index method.

4. Fuzzy sets and logic

Fuzzy sets and logic were finding out by Zadeh [13], who is leading development of fuzzy logic instead of Aristotelian logic, which have two possibilities only. Fuzzy logic concept provides a natural way of dealing with problems in which the source of imprecision is absence of sharply defined criteria rather than the presence of random variables. Fuzzy approach considers cases where linguistic uncertainties play some role in the control mechanism of the phenomena concerned. Herein, uncertainties do not mean random, probabilistic and stochastic variations, all of which are based on the numerical data. Zadeh has motivated his work on fuzzy logic with the observation that the key elements in human thinking are not numbers but levels of fuzzy sets. Further he saw each linguistic word in a natural language as a summarized description of a fuzzy subset at a universe of discourse representing the meaning of this word. In consequence, he introduced linguistic variables as variables whose values are sentences in a natural or artificial language [13].

The key idea in fuzzy logic is allowance of partial belongings of any object to different subsets of the universal set instead of belonging to a single set completely. Partial belonging to a set can be described numerically by a membership function, which assumes values between 0 and 1 inclusive (Figure 3 and Figure 4).

Table 1. The factors G_i and R_i for evaluation of modified index S_D

Level	Items	Value of G_i			Value of R_i	
		1.0	0.9	0.8	R_{1i}	R_{2i}
1st and 2nd Level	a. Regularity	a_1	a_2	a_3	1.00	0.50
	b. Length/Width in Plan	$b < 5$	$5 < b < 8$	$8 < b$	0.50	0.25
	c. Pinched Plan	$c > 0.8$	$0.8 > c > 0.5$	$0.5 > c$	0.50	0.25
	d. E.P. Joint	$d > 1/100$	$1/100 > d > 1/200$	$1/200 > d$	0.50	0.25
	e. Atrium	$e < 0.10$	$0.1 < e < 0.3$	$0.3 < e$	0.50	0.25
	f. Eccentricity of Atrium	$f_1 < 0.4$ & $f_2 < 0.1$	$f_1 < 0.4$ & $0.1 < f_2 < 0.3$	$0.4 < f_1$ or $0.3 < f_2$	0.25	0.00
	g. Others	-	-	-	0.50	0.25
	h. Basement	$h > 1.0$	$1.0 > h > 0.5$	$0.5 > h$	1.00	1.00
	i. Storey Height	$i > 0.8$	$0.8 > i > 0.7$	$0.7 > i$	0.50	0.25
	j. Piloti (Soft Storey)	$j < 1.4$	$1.4 < j < 1.5$	$j > 1.5$	0.50	0.25
	k. Others	-	-	-	0.50	0.25
	p. Irregularity from Torsion	$p < 1.0$	$1.0 < p < 1.2$	$1.2 < p$	0.50	0.25
	r. Discontinuity of Slab	r_1	r_2	r_3	0.50	0.25
	s. Salient Irregularity	$s < 0.1$	$0.1 < s < 0.2$	$0.2 < s$	0.50	0.25
	t. Structural Element Axis with Not Parallel	t_1	t_2	t_3	0.50	0.25
	u. Weak Storey	$u > 0.8$	$0.7 < u < 0.8$	$u < 0.7$	0.50	0.25
v. Discontinuity of Vertical Elements of Structural System	v_1	v_2	v_3	0.50	0.25	
y. Irregularity from Storey with Projection	$y \geq 1.0$	$1.0 > y \geq 0.7$	$y < 0.7$	1.00	0.50	
2nd Level	l. Eccentricity Ratio	$l < 0.1$	$0.1 < l < 0.15$	$0.15 < l$	---	1.00
	n. Ratio of Mass Rigidity	$n < 1.2$	$1.2 < n < 1.7$	$1.7 < n$	---	1.00

Fuzzy logic has been developing since then and is now being used especially in Japan for automatic control for commercial products such as washing machines, cameras and robotics. Many textbooks provide basic information on the concepts and operational fuzzy algorithms [14-17].

Within frame of this study, a simplified view of linguistic variables of Seismic Performance Index I_S is adopted. In this context, fuzzy propositions, i.e. if-then

statements are used to characterize the state of a system and the truth-value of the proposition is a measure of how well the description matches the state of the system. The literature is rich with references concerning the ways to assign membership values or functions to fuzzy variables. Among these ways are intuition, inference rank ordering, angular fuzzy sets, neural networks, genetic algorithms, inductive reasoning, etc. [17]. Especially, the intuitive approach is used rather commonly because it is simply derived from capacity of humans to develop membership functions through their own innate intelligence and understanding. Intuition involves contextual and semantic knowledge about an issue; it can be also involving linguistic truth-values about this knowledge [16]. Even if the measurements are carefully carried out as crisp quantities they can be fuzzified. Furthermore, if the form of uncertainty happens to arise because of imprecision, ambiguity or vagueness, then the variable is fuzzy and can be represented by a membership function. In order to simplify the calculations, usually the membership function is adopted as linear in practical applications. The objective then can be formulated as maximizing the minimum membership value, which has the effect of balancing the degree to which the objective is attained with degrees to which the constraints have to be relaxed from their optimal values [18].

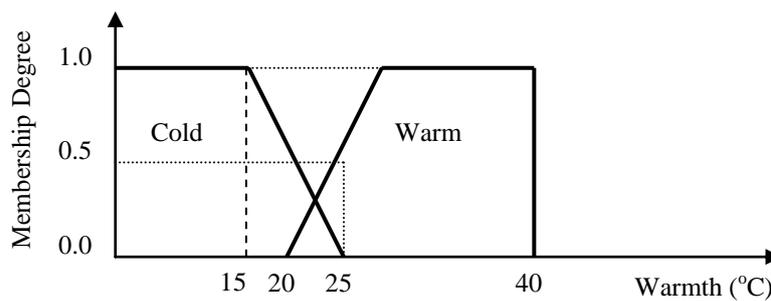


Figure 4. Covering of fuzzy sets

5. Fuzzy logic algorithm for seismic performance index I_S

5.1. Fuzzy input and output variables

$$I_S = E_0 \times S_D \times T \quad (6)$$

$$I_{ST} = I_S / T = E_0 \times S_D \quad (7)$$

Fuzzy input variables are Basic Structural Performance Index E_0 and Structural Property Sub-index S_D , which are called as 'INDEX E_0 ' and 'INDEX S_D ' respectively. Fuzzy output variable is " I_{ST} " and Eq. (7) expresses it. It is called as 'INDEX I_{ST} '.

5.2. Fuzzy subsets and membership functions

Figure 5 and Figure 6 represent trained membership functions for input, respectively. Trained membership function for output is represented in Figure 7.

5.3. Fuzzy rule base

Fuzzy rule base contains eighteen rules. These rules are given as follows:

1. **If INDEX E_0 is VERY LOW and INDEX S_D is VERY SMALL, then INDEX I_{ST} is BAD**
2. **If INDEX E_0 is LOW and INDEX S_D is SMALL, then INDEX I_{ST} is NOT BAD**
3. **If INDEX E_0 is MEDIUM and INDEX S_D is MEDIUM, then INDEX I_{ST} is GOOD**
4. **If INDEX E_0 is HIGH and INDEX S_D is BIG, then INDEX I_{ST} is RATHER GOOD**
5. **If INDEX E_0 is VERY HIGH and INDEX S_D is VERY BIG, then INDEX I_{ST} is VERY GOOD**
6. **If INDEX E_0 is VERY LOW and INDEX S_D is MEDIUM, then INDEX I_{ST} is NOT BAD**
7. **If INDEX E_0 is VERY LOW and INDEX S_D is VERY BIG, then INDEX I_{ST} is NOT BAD**
8. **If INDEX E_0 is MEDIUM and INDEX S_D is VERY BIG, then INDEX I_{ST} is RATHER GOOD**
9. **If INDEX E_0 is MEDIUM and INDEX S_D is VERY SMALL, then INDEX I_{ST} is NOT BAD**
10. **If INDEX E_0 is MEDIUM and INDEX S_D is BIG, then INDEX I_{ST} is GOOD**
11. **If INDEX E_0 is MEDIUM and INDEX S_D is VERY SMALL, then INDEX I_{ST} is BAD**
12. **If INDEX E_0 is VERY LOW and INDEX S_D is MEDIUM, then INDEX I_{ST} is BAD**
13. **If INDEX E_0 is VERY HIGH and INDEX S_D is VERY SMALL, then INDEX I_{ST} is GOOD**
14. **If INDEX E_0 is HIGH and INDEX S_D is VERY SMALL, then INDEX I_{ST} is NOT BAD**
15. **If INDEX E_0 is HIGH and INDEX S_D is SMALL, then INDEX I_{ST} is GOOD**
16. **If INDEX E_0 is HIGH and INDEX S_D is MEDIUM, then INDEX I_{ST} is RATHER GOOD**
17. **If INDEX E_0 is LOW and INDEX S_D is BIG, then INDEX I_{ST} is GOOD**
18. **If INDEX E_0 is LOW and INDEX S_D is VERY BIG, then INDEX I_{ST} is GOOD**

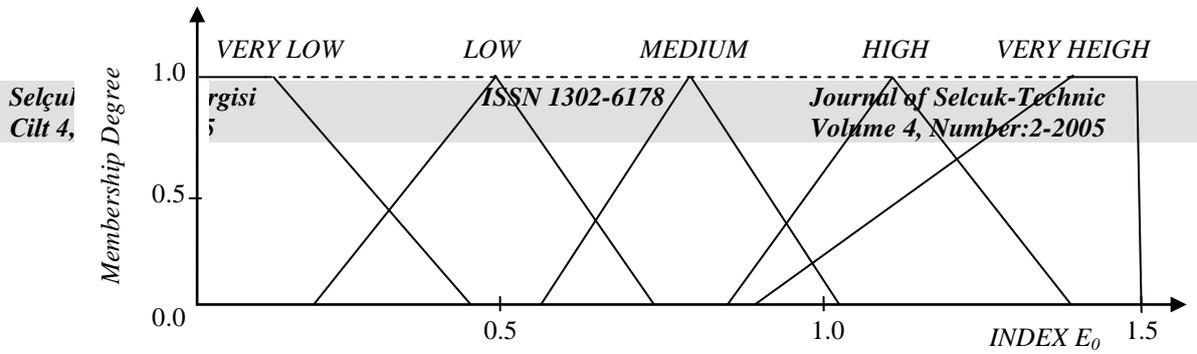


Figure 5. Trained membership functions for input variable $INDEX E_0$

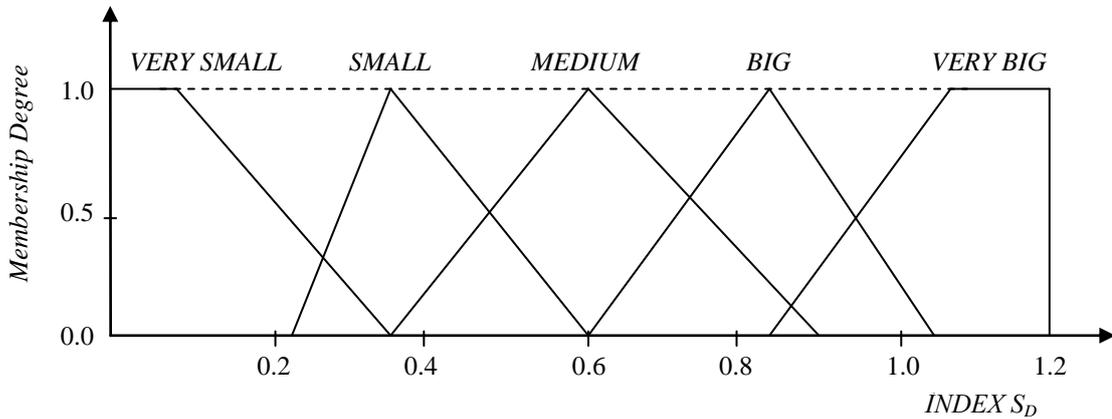


Figure 6. Trained membership functions for input variable $INDEX S_D$

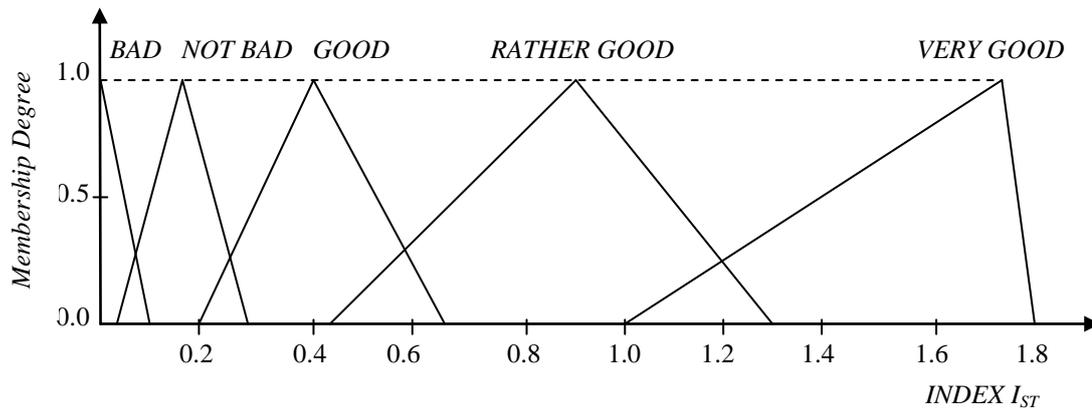


Figure 7. Trained membership functions for output variable $INDEX I_{ST}$

6. Example

A 4-storey reinforced concrete building, which ground storey floor plan shown in Figure 8 and dimensions of the column and rebar arrangement are shown in Figure 9, is considered in order to show the implementation of the Seismic Index Method which contains of fuzzy logic algorithm. Some properties of the building are given as follows: Usage aim of the building is residence and location is Avclar in Istanbul in Turkey. Year built is 1992 and building type is moment resisting frame (MRF) with X and Y direction. Building consists of basement+ground storey+3 normal storeys. Storey heights and beam heights are 2.75 and 0.50 meter, respectively. Whole reinforcement is S220. $\phi 16$ in columns and $\phi 16$ - $\phi 14$ in beams are used as longitudinal reinforcement. As stirrup reinforcement, $\phi 8$ in columns and $\phi 10$ in beams are used. Distance between two stirrups is 0.12 meter. The design compression strength of concrete and yield strength of

reinforcement are respectively $f_{cd}=10$ MPa and $f_{yd}=191$ MPa (found in the result of testing). The weight of the building per m^2 is 10.75 kN/ m^2 and the weight of a storey is 1064 kN. Then, the total weight of the building is 4256 kN. Building ground has irregular ground layers. The state of deterioration of the building is not good.

6.1. First level screening

For whole storey with X and Y direction;

$$H_0=2.75-0.50=2.25 \text{ m}$$

For X-direction;

C₁, C₂, C₃, C₄, C₅, C₆, C₇, C₁₃, C₁₄, C₁₅, C₁₆, C₁₇

$$H_0/D=2.25/0.30=7.50$$

C₁₀, C₁₁

$$H_0/D=2.25/0.50=4.50$$

C₈, C₉, C₁₂

$$H_0/D=2.25/0.40=5.625$$

C₁₈

$$H_0/D=2.25/0.20=11.25$$

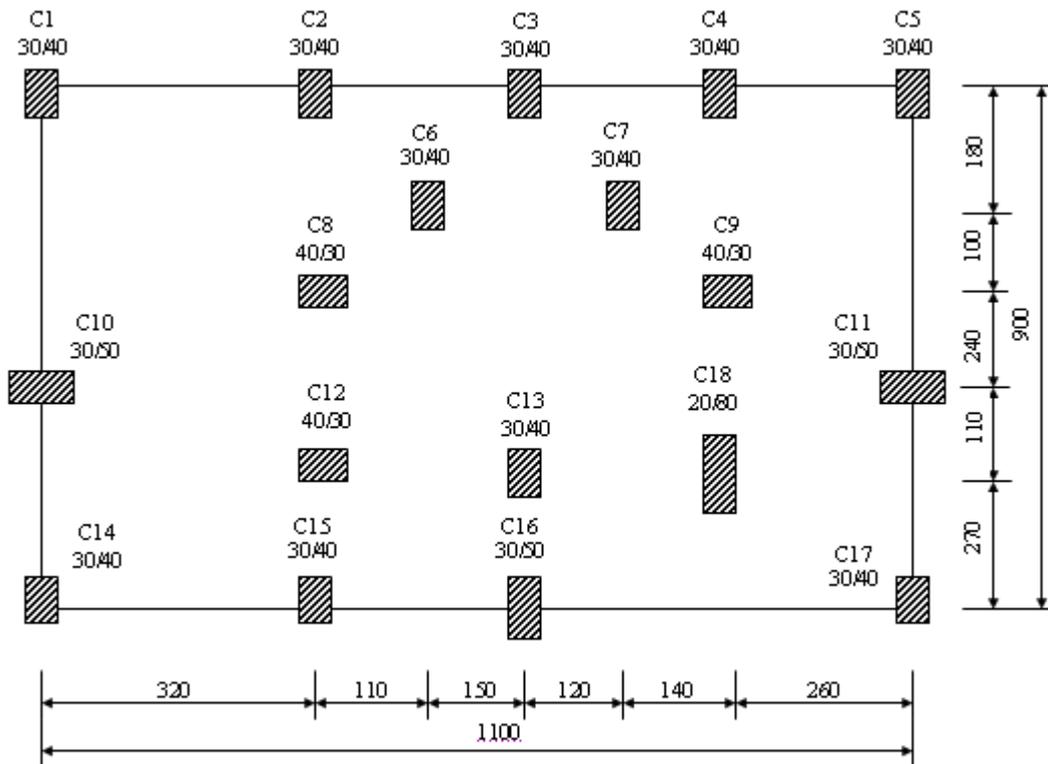


Figure 8. Ground storey floor plan of the building (dimensions are in cm)

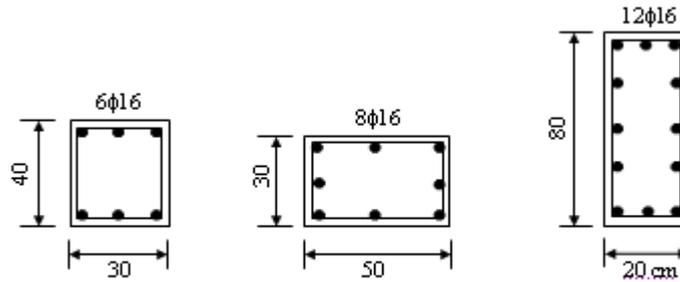


Figure 9. Dimensions of the column and rebar arrangement

Because of $H_0/D > 2$, there is no short column for X-direction of the building.

Where, H_0 is height of column and D is width of column.

For Y-direction;

$C_1, C_2, C_3, C_4, C_5, C_6, C_7, C_{13}, C_{14}, C_{15}, C_{16}, C_{17}$ $H_0/D = 2.25/0.40 = 5.625$

C_{10}, C_{11} $H_0/D = 2.25/0.30 = 7.50$

C_8, C_9, C_{12} $H_0/D = 2.25/0.30 = 7.50$

C_{18} $H_0/D = 2.25/0.80 = 2.81$

Because of $H_0/D > 2$, there is no short column for Y-direction of the building.

The results of the first level screening given by Table 2.

Table 2. The results obtained from first level screening

Storey	X-Direction						Y - Direction					
	C_c	F_w	E_0	S_D	T	I_s	C_c	F_w	E_0	S_D	T	I_s
Ground	0.21	1.0	0.21	1.0	0.90	0.191	0.25	1.0	0.25	1.0	0.90	0.222
1.	0.27	1.0	0.23	1.0	0.90	0.207	0.26	1.0	0.26	1.0	0.90	0.234
2.	0.40	1.0	0.29	1.0	0.90	0.261	0.33	1.0	0.33	1.0	0.90	0.297
3.	0.80	1.0	0.50	1.0	0.90	0.450	0.58	1.0	0.58	1.0	0.90	0.522

6.1.1. Judgment process for first level screening

$$I_{S0} = E_S \times Z \times G \times U = 0.80 \times 1.0 \times 1.10 \times 1.0 = 0.88$$

As a result, for all storey with X and Y-direction $I_s < I_{S0}$. Therefore, it is say that seismic behavior of the building is indefinite according to the first level screening of the Seismic Index Method.

6.2. Second level screening

This screening level applied only to the ground storey. Behavior of the ground storey gives an idea about behavior of whole building. Table 3 gives the results obtained from second level screening.

For X-direction;

Whole columns are gathered one group for X-direction of the building, since all of the columns have high ductility and their failure mechanisms are predicted to be flexure.

1st Group: All of the eighteen columns.

Failure Mode: Flexure

$$F_1=3.06$$

$$C_1=\Sigma Q_{mu}/W=0.2451$$

$$E_{01}=C_1 \times F_1=0.2451 \times 3.06=0.7490$$

$$E_0=[(n+1)/(n+i)] \times [E_{01}^2+E_{02}^2+E_{03}^2]^{0.5}$$

$$E_0=[(4+1)/(4+1)] \times [(0.7490)^2]^{0.5}=0.7490$$

$$I_S=E_0 \times S_D \times T=0.7490 \times 1.00 \times 0.90=0.6740$$

For Y-direction;

1st Group: C18 column.

Failure Mode: Flexure

$$F=1.27$$

$$C_1=Q_{mu}/W=0.0575$$

$$E_{01}=C_1 \times F_1=0.0575 \times 1.27=0.0730$$

Table 3. The results obtained from second level screening (for ground storey)

Columns	bxh (cm)		X		Y		F (ductility)		Failure Mode	
	X	Y	Q_{mu} (kN)	Q_{su} (kN)	Q_{mu} (kN)	Q_{su} (kN)	X	Y	X	Y
C1	40x30	30x40	42.9	101.9	57.2	112.8	3.20	3.20	Flexure	Flexure
C2	40x30	30x40	44.5	103.2	59.3	114.1	3.20	3.20	Flexure	Flexure
C3	40x30	30x40	36.9	97.3	49.2	108.1	3.20	3.20	Flexure	Flexure
C4	40x30	30x40	36.9	97.3	49.2	108.1	3.20	3.20	Flexure	Flexure
C5	40x30	30x40	41.6	100.8	55.5	111.8	3.20	3.20	Flexure	Flexure
C6	40x30	30x40	42.7	101.7	57.0	112.7	3.20	3.20	Flexure	Flexure
C7	40x30	30x40	46.1	104.6	61.5	115.6	3.20	3.20	Flexure	Flexure
C8	30x40	40x30	60.0	114.6	45.0	103.6	3.20	3.20	Flexure	Flexure
C9	30x40	40x30	78.9	130.8	59.2	119.3	3.20	3.20	Flexure	Flexure
C10	30x50	50x30	132.5	191.0	79.5	154.5	3.06	3.20	Flexure	Flexure
C11	30x50	50x30	92.4	156.1	55.5	121.1	3.20	3.20	Flexure	Flexure
C12	30x40	40x30	79.4	131.3	59.5	119.8	3.20	3.20	Flexure	Flexure
C13	40x30	30x40	60.5	121.5	80.6	133.0	3.20	3.20	Flexure	Flexure
C14	40x30	30x40	40.1	99.7	53.5	110.6	3.20	3.20	Flexure	Flexure
C15	40x30	30x40	43.9	102.7	58.5	113.6	3.20	3.20	Flexure	Flexure
C16	50x30	30x50	50.9	117.6	84.8	152.5	3.20	3.20	Flexure	Flexure
C17	40x30	30x40	47.9	106.1	63.8	117.2	3.20	3.20	Flexure	Flexure
C18	80x20	20x80	61.0	130.9	243.9	258.2	3.20	1.27	Flexure	Flexure

2nd Group: Entire columns except for C18 column.

Failure Mode: Flexure

$$F=3.20$$

$$C=Q_{mu}/W=0.2426$$

$$E_{02}=C_2 \times F_2=0.2426 \times 3.20=0.7764$$

$$E_0=[(4+1)/(4+1)] \times [(0.0730)^2+(0.7764)^2]^{0.5}=0.7798$$

$$I_S=E_0 \times S_D \times T=0.7798 \times 1.00 \times 0.90=0.7018$$

6.2.1. Judgment process for second level screening:

$$I_{S0}=E_S \times Z \times G \times U=0.60 \times 1.0 \times 1.10 \times 1.0=0.66$$

It is seen that $I_S > I_{S0}$ in both of direction. Therefore, it is said that seismic safety in both of direction of the building is sufficient according to the Seismic Index Method. I_S values obtained from second level screening for ground storey of the building are compared with I_{ST} INDEX values in other words I_S values which is found out based upon fuzzy logic algorithm. Within the framework of this study it is reached to convenient results (Table 4).

Table 4. The values of the Seismic Performance Index as classical and fuzzy

	Classical		Fuzzy	
	X	Y	X	Y
E_0	0.749	0.780	0.749	0.780
S_D	1.000	1.000	1.000	1.000
T	0.900	0.900	0.900	0.900
I_{ST}	-	-	0.778	0.782
I_S	0.674	0.702	0.700	0.704

7. Results

In the result of 1st Level Screening, it is found that $I_S < I_{S0}$ for each storey in X and Y-direction of the building in example. Therefore, it is expressed that seismic safety of the building is undetermined according to the Seismic Index Method. In respect of 2nd Level Screening, it is seen that $I_S > I_{S0}$ in both of direction. Therefore, it is said that seismic reliability in both of direction of the building is adequate as to the Seismic Index Method. 2nd Screening Level applied only to the ground storey of the building. Behavior of the ground storey gives an idea about behavior of whole building. Besides, the values of the Seismic Performance Index I_S have been analyzed by using the fuzzy logic. When the results are examined, it has been observed that the fuzzy logic compared with the Aristotelian logic having crisp and no compensational boundary has given more convenient results to human thinking and judgment. The inspection of the results yields that the fuzzy logic solution has softened and it has clearly gained flexibility as to sharp passing of conventional solution. Furthermore, it is observed that this situation gives more reliable results. Authors carry on their studies which applying

to assessment of seismic safety of RC buildings in Turkey with Japan Seismic Index Method.

References

- [1] Ozcebe G, Yucemen MS, Aydogan V. Statistical seismic vulnerability assessment of existing reinforced concrete buildings in Turkey on a regional scale. *Journal of Earthquake Engineering* 2004; 8(5): 749-773.
- [2] Song B, Hao S, Murakami S, Sadohara S. Comprehensive evaluation method on earthquake damage using fuzzy theory. *Journal of Urban Planning and Development* 1996; 122 (1): 1-17.
- [3] Shwe TT, Adeli H. AI and CAD for earthquake damage evaluation. *Engineering Structures* 1993; 15(5): 315-319.
- [4] Shepherd R, Haynes TE. Expert system and assessment of earthquake hazard reduction, Proceedings of the IABSE Colloquium on Knowledge Based Systems in Civil Engineering 1993, Beijing, China, September 1993, 351-360.
- [5] Molas GL, Tamazaki F. Neural networks for quick earthquake damage estimation. *Earthquake Engineering&Structural Dynamics* 1995;24: 505-516.
- [6] Revadigar S, Mau ST. Automated multicriterion building damage assessment from seismic data. *Journal of Structural Engineering* 1999; 125(2): 211-217.
- [7] Ersoy U, Ozcebe G. Lessons from recent earthquakes in Turkey and seismic rehabilitation of buildings, SM Uzumeri Symposium 2000 — Behavior and Design of Concrete Structures for Seismic Performance, eds. Bayrak O, Sheikh S. (SP-197, ACI International, Farmington Hills, MI), 105–126.
- [8] Komur M. Fuzzy logic approach for seismic safety evaluation of buildings, PhD. thesis, Istanbul Technical University, Institute of Science and Technology, 2004.
- [9] Dolsek M, Fajfar P. Soft storey effects in uniformly infilled reinforced concrete frames. *Journal of Earthquake Engineering* 2001; 5(1): 1-12.
- [10] Brookshire DS, Chang SE, Cochrane H, Olson RA, Rose A, Steenson J. Direct and indirect economic losses from earthquake damage. *Earthquake Spectra* 1997; 13(4): 683-701.
- [11] Hassan AF, Sozen MA. Seismic vulnerability assessment of low-rise buildings in regions with infrequent earthquakes, *ACI Structural Journal* 1997; 94(1): 31-39.
- [12] Ohkubo M. Technical report: Current Japanese system on seismic capacity and retrofit techniques for existing reinforced concrete buildings and post-earthquake damage inspection and restoration techniques. Report No. SSRP-91/02, Department of Applied Mechanics and Engineering Sciences, University of California, San Diego, 1991.
- [13] Zadeh LA. Fuzzy sets. *Information and Control* 1967; 8: 38–53.
- [14] Klir GJ, Fogel TA. Fuzzy sets, uncertainty and information. New York (NY): Prentice Hall; 1988.
- [15] Kosko B. Neural networks and fuzzy systems. Englewood Cliffs (NJ): Prentice Hall; 1992.

- [16] Zadeh L. Fuzzy logic for the management of uncertainty, Kacprzyk J, editors. 1992.
- [17] McNeill FM, Thro E. Fuzzy logic: A practical approach. Boston (MA): AP Professional; 1994.
- [18] Sen Z. Fuzzy algorithm for estimation of solar irradiation from sunshine duration. *Solar Energy* 1998; 63: 39-49.